A novel approach to simplified and secure message cryptography using chaotic logistic maps and index keys

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ABSTRACT

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Keywords:

Chaotic keys High entropy Index key Message cryptography Private key This paper proposes a novel method of message cryptography aiming to provide a simple, secure, and highly efficient approach to encryption and decryption. Unlike existing methods that rely on complex logical operations, method utilizes simple rearrangement operations, reducing our computational complexity while ensuring robust security. It employs a sophisticated, high-entropy private key designed to withstand hacking attempts. This key generates two chaotic keys using chaotic logistic map models, which are sorted to form two index keys essential for rearranging message blocks and characters during encryption and decryption. The process is facilitated by two simple operations, Get_index and Get_min, based on the index keys. These operations achieve streamlined procedures without compromising security. The method's speed is evaluated across various message lengths, demonstrating significant improvements in encryption time and throughput. The comparative analysis highlights the superior efficiency of this method compared to existing methods. Rigorous testing confirms that the proposed method meets stringent quality and sensitivity requirements, ensuring robust cryptographic standards. This innovative approach offers a promising solution for secure message encryption and decryption, combining simplicity, security and efficiency to meet the evolving needs of secure communication systems.

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1. INTRODUCTION

In the realm of communication networks, messages serve as the primary means of digital data transmission, encompassing a spectrum of content ranging from private to confidential information [1]. However, the security of these messages depends on the integrity of the underlying network infrastructure [2]. In instances where the network lacks sufficient security measures, it becomes susceptible to exploitation by malicious actors, granting them unauthorized access to intercepted messages [3]. Consequently, the crucial task of transitioning the communication network from an insecure state to a secure one emerges as a pivotal concern within the field of cybersecurity [4]. Message cryptography serves as a fundamental method for safeguarding sensitive information from unauthorized access in communication networks. This cryptographic technique involves encrypting messages before transmitting them over the network and decrypting them upon reaching the intended destination [5]. Encryption involves transforming the original

message into an unintelligible format, making it inaccessible to unauthorized entities during transmission. Conversely, decryption involves the reversal of this process, allowing the recipient to recover the original message from the encrypted data [6]. Typically, cryptography relies on encryption and decryption functions alongside a private key to facilitate secure communication processes, as shown in Figure 1, which provides a comprehensive overview of cryptography. Figure 1(a) depicts cryptography, showcasing the transformation of plaintext into ciphertext to ensure secure communication. Figure 1(b) illustrates symmetric cryptography, demonstrating how a shared secret key enables secure communication between the sender and the recipient, emphasizing the necessity of keeping the key confidential to maintain security. Figure 1(c) focuses on asymmetric cryptography, highlighting how the public key can be openly shared, allowing anyone to encrypt messages. In contrast, only the holder of the corresponding private key can decrypt them.



Figure 1. Overview of cryptographic techniques: (a) general depiction of cryptography, (b) symmetric cryptography, and (c) asymmetric cryptography

The cryptographic method under consideration must adhere to several critical requirements to ensure its effectiveness and suitability for secure communication purposes is detailed as follows:

- Encryption quality: The encrypted message should exhibit significant corruption and distortion, indicating a high level of alteration from the original message. This is typically quantified by a high mean square error (MSE) between the source and encrypted messages, along with a low peak signal-to-noise ratio (PSNR) between them [7].
- Decryption quality: After decrypting the message, it must correspond to the original message so as to ensure data integrity and reliability of it. A good method is considered if MSE between source and decrypted messages would be equal to zero with an infinitely infinite PSNR, which indicates perfect restoration of initial data [8].
- Security: The private key used when conducting the cryptographic process must have a very high complexity that ensures large key space with 128-bit entropy or more. Moreover, this should be such a way that it cannot be hacked at by any person hence making it very difficult for unauthorized people to generate secret keys [9].
- Speed: Optimal performance at all times means minimizing both encryption time (ET) and decryption time (DT) so as maximize encryption throughput (ETP) and decryption throughput (DTP), measured in kilobytes per second (Kbps). Effective execution of encryption and decryption procedures enables speedy data processing as well as transmission [10].

- Simplicity: Enhancing usability and facilitating applying cryptosystems. It is recommended to minimize rounds count while reducing logical and arithmetic operations during encryption/decryption processes. Also, simple process of generating secret keys should be developed [11].
- Flexibility: Versatility in handling messages of varying lengths, including short, medium, and long messages, should be demonstrated by the method without compromising performance or security [12].

These requirements collectively ensure robust encryption, seamless decryption, and optimal performance. At the same time, simplicity, security, and flexibility across different message types and operational scenarios are maintained by the cryptographic method. There have been various proposals regarding the degradation of digital chaos. A design and analysis method for digital chaotic systems that employ feedback control to obtain optimal performance is introduced in [13]. An advanced logistic chaotic map-based speech encryption with a tweakable parameter algorithm, which improves the resistance of encryption methods against chaos degradation, is presented in [14]. Furthermore, the proposal to develop a 64-bit embedded system using multiple-precision arithmetic to maintain the accuracy and stability of chaotic computations for implementing a chaotic cryptosystem is put forth in [15]. A pseudo-random number generator based on discrete-space chaotic maps provides a new technique for generating random sequences with minimum deterioration introduced in [16]. Moreover, it introduces another image encryption scheme using an improved logistic map [17]. It also reveals some color image encryption based on an improved quadratic chaotic mapping approach that solves the problem of chaos degradation in an image encryptor [18]. Finally, a tweakable image encryption algorithm utilizing enhanced logistic chaotic maps to improve its resilience against chaos degeneration is designed in [19]. This paper introduces the following contributions:

- Novel method: We present a new method for message cryptography that focuses on simplicity, security, and efficiency in the encryption and decryption processes.
- Simplification: Unlike existing methods that rely on complex logical operations, our approach uses straightforward rearrangement operations, which reduces computational complexity while maintaining robust security.
- Chaotic logistic map models: We employ chaotic logistic map models to generate two chaotic keys. These keys are then sorted to create index keys, which are crucial for rearranging message blocks and characters, thus enhancing both security and operational efficiency.
- Evaluation and validation: Through comprehensive testing and analysis, our method has shown it can
 expedite the message cryptography process, meet quality standards, and provide a reliable solution for
 secure communication systems.

The significance of our contribution to cryptography is highlighted by our method's advancement of the state-of-the-art while addressing practical needs for secure and efficient communication. Why our approach is novel and important:

- Reduction in computational complexity: This method simplifies encryption and decryption by using straightforward rearrangement operations instead of complex logical operations and multiple rounds of processing.
- Efficiency in handling variable message lengths: Our approach efficiently handles messages of varying lengths that making it versatile for practical applications where message sizes can vary significantly.
- Enhanced security with a sophisticated private key: We use a 448-bit private key, which provides a high level of security. The key's high entropy ensures strong resistance against hacking attempts.
- Sensitivity to key changes: The decrypted message is highly sensitive to any alterations in the private key values, which enhances security. Even minor changes in the key can prevent unauthorized decryption, safeguarding the integrity of the encrypted data.
- Streamlined index key generation: The generation of two index keys through chaotic logistic map models is a novel approach that simplifies the key generation process. This method reduces computational overhead while maintaining high security through the chaotic properties of the logistic maps.
- Comparative speed and throughput improvements: Our method has demonstrated superior speed and throughput compared to existing cryptographic techniques. This is crucial for applications that require rapid encryption and decryption processes.
- Rigorous testing and quality assurance: Comprehensive testing has shown that our method meets high standards of speed, quality, and sensitivity, ensuring its reliability as a cryptographic solution.
- Practical applicability: Due to its efficiency, simplicity, and robust security measures, our method is wellsuited for real-world applications, offering a practical solution for secure message encryption and decryption across various domains.

The remainder of this paper is structured as follows: section 2 details the generation of secret index keys. Section 3 outlines the private key generation process. Section 4 provides a comparison to related work. Section 5 describes the proposed method. Section 6 presents the results and comparative analysis. Finally, section 7 concludes the paper.

2. GENERATION OF SECRET INDICES KEY

The concept of a secret indices key (SIK) involves an array consisting of unsigned integer values, each of which does not repeat within the array. The generation of SIK involves sorting a dataset, where each element within the SIK corresponds to the position of the minimum value within the sorted dataset. Essentially, the first element of the SIK points to the position of the minimum value, the second element indicates the position of the next minimum value, and this process continues iteratively. As depicted in Figure 2, an illustrative example demonstrates the generation of a SIK with a length of 10 elements.

Data_set	0.2099	0.7583	0.2430	0.2864	0.4975	0.6237	0.3113	.09240	0.4782	0.6895
Index	1	2	3	4	5	6	7	8	9	10
[ff SIK] = sor	t (Data_set))								
SIK=	1	3	4	7	9	5	6	10	2	8

Figure 2. SIK generation example

The acquisition of the dataset for generating a SIK can be facilitated through the execution of a chaotic logistic map model (CLMM) [20]. This model utilizes specific parameters, namely the chaotic parameters r and x1, along with the desired length of the dataset, referred to as the chaotic key (CK) [21]. By employing these parameters, the CLMM computes a chaotic equation, yielding resultant values that constitute the elements of the chaotic key. The chaotic logistic equation is a nonlinear dynamical system that describes the behavior of a population over time based on a simple mathematical model. It exemplifies the use of the CLMM in creating an SIK. It is represented by the recursive formula.

$$x_{n+1} = r \times x_n \left(1 - x_n \right) \tag{1}$$

where x_n is the population size at time step n, r is the growth rate parameter, and x_{n+1} is the population size at the next time step.

This equation exhibits chaotic behavior for certain values of parameters and initial conditions. This means that even small changes in the initial conditions or parameter values can lead to drastically different outcomes over time. CLMM can be used to generate a 2D matrix SIK. The generated SIK is very sensitive to the selected values of the chaotic parameters and the key length (block size: BS). Minor changes in these values will lead to a change in the SIK. Figure 3 shows how the SIK will change when altering the values of r, x1, and BS.



Figure 3. SIK sensitivity

The generated SIK can be easily used to encrypt and decrypt a secret message. The encryption phase can be easily implemented by rearranging the message characters based on the contents of SIK, a simple *Get_index* operation can be applied to implement message encryption, while a simple *Get_min* operation can be applied to implement message decryption. Using *Get_index* and *Get_min* operations will simplify the proposed method by replacing the complex logical operations used in other methods of message cryptography with these two operations. Algorithm 1 the pseudocode outlines the steps for applying the "*Get_index*" and "*Get_min*" operations in the encryption and decryption processes. On the other hand, in the same case, "*Decrypt_Message*" will enable us to decrypt a given message that has been encrypted using the very index keys. It is the one for extracting index values from an input key called *Get_index* and also it can get to know about minimum value among all values which are in our index keys while this is through *Get_min* option. These activities help secure rearrangement of items in a message and performing encryption and decryption based on defined conditions.

Algorithm 1. Get_index" and "Get_min" operations

```
Get_ Encryption Process:
   1.1. function Encrypt Message(message, index keys)
   1.2. Get_index Operation:
            index values = Get index(index keys)
   1.3. Rearrange message blocks and characters
           rearrange_message(message, index values)
   1.4. Get min Operation
           min_value = Get_min(index keys)
   1.5. Perform encryption based on min value
           return encrypted message
2. Decryption Process
   2.1. function Decrypt Message(encrypted message, index keys):
   2.2. Get_index Operation
            2.3. Reverse rearrangement of message blocks and characters
           reverse_rearrange_message(encrypted_message, index_values)
   2.4. Get min Operation
           min value = Get min(index keys)
   2.5. Perform decryption based on min value
           return decrypted message
3. Get index Operation
   3.1. function Get index(index keys):
            index values = []
            for key in index keys:
               index_values.append(index of key in sorted order)
            return index values
4. Get_min Operation
   4.1. function Get min(index keys):
           min value = min(index keys)
           return min value
```

3. PRIVATE KEY GENERATION PROCESS

The recommended encryption-decryption technique applies a two-step procedure to secure and unscramble secret messages in the Algorithm 2. To begin with, the message is split into blocks, such that number of blocks (NB) is determined by the user dynamically for subsequent runs flexibility. All blocks have a block size BS, which has remained constant throughout this experiment. The encryption phase takes place in two consecutive rounds. Initially, message blocks are rearranged using blocks indices key (B_IK), which is aimed at it. Then, characters within each block are repositioned according to within block characters indices Key (WBC_IK) during second round. When decrypting, similarly ordered indices keys are employed sequentially in reversed order to reorder the initial structure of message restored.

Algorithm 2. Get the private key

```
1.5. Concatenate the rearranged blocks to form the encrypted message
            encrypted message = Concatenate Blocks (blocks)
        return encrypted_message
2. Decryption Process
   2.1. function Decrypt_Message(encrypted_message, B_IK, WBC_IK, NB, BS):
   2.2. Divide the encrypted message into blocks
            blocks = Divide into Blocks(encrypted message, NB, BS)
   2.3. First Round Decryption
            for each block in blocks:
                reverse rearrange within block characters (block, WBC IK)
   2.4. Second Round Decryption
            for each block in blocks:
                reverse_rearrange_block(block, B_IK)
   2.5. Concatenate the rearranged blocks to form the decrypted message
            decrypted message = Concatenate Blocks(blocks)
        return decrypted message
3. Function to Divide Message into Blocks
   3.1. function Divide into Blocks(message, NB, BS):
            blocks = []
            for i from 0 to NB-1:
                block = message[i*BS:(i+1)*BS] // Extract block from message
                blocks.append(block)
            return blocks
4. Function to Rearrange Block
   4.1. function rearrange block(block, B IK):
            new block = empty list
            for i from 0 to length of block - 1:
                index = Get index(B IK[i]) // Get index from B IK
                new block[index]=block[i]
            block = new block
5. Function to Rearrange Characters within Block
   5.1. function rearrange within block characters (block, WBC IK):
            for each character c in block:
                index = Get index(WBC IK[c]) // Get index from WBC IK
                c = Get_min(index) // Get character from index using Get min operation
6. Function to Reverse Rearrange Characters within Block
   6.1. function reverse_rearrange_within_block_characters(block, WBC_IK):
            for each character c in block:
                index = Get index(WBC IK[c]) // Get index from WBC IK
                c = Get min(index) // Get character from index using Get min operation
7. Function to Reverse Rearrange Block
   7.1. function reverse rearrange block(block, B IK):
            new_block = empty list
            for i from 0 to length of block - 1:
                index = Get index(B IK[i]) // Get index from B IK
                new block[index] = block[i]
            block = new block
8. Function to Concatenate Blocks
   8.1. function Concatenate_Blocks(blocks):
            concatenated_message = "'
            for each block in blocks:
                concatenated message += block
            return concatenated message
```

The generation of the necessary indices keys relies on the utilization of a complex private key (PK), which encapsulates essential parameters. Specifically, the PK includes the chaotic parameters r1 and x1, alongside NB, for the generation of B_IK . Additionally, the PK incorporates r2, x2, dr2, and dx2, which, in conjunction with calculated BS values, facilitate the generation of WBC_IK . The incorporation of these parameters in the PK results in a comprehensive key space, characterized by a substantial entropy exceeding 128, thus ensuring robust resistance against hacking attempts. Moreover, the intricate composition of the PK renders the task of hacking the indices keys significantly challenging, given the expansive multitude of potential combinations, as expressed by the formula:

$$Total Combinations = NB! BS! \times BS$$
⁽²⁾

This formulation underscores the formidable security posture conferred by the intricate PK, bolstering the resilience of the encryption-decryption method against adversarial threats.

COMPARISON TO THE RELATED WORK 4.

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Numerous methods have been developed for message encryption, drawing inspiration from established standards such as the data encryption standard (DES) and the advanced encryption standard (AES) [22]–[30]. While these methods share certain commonalities, there are inherent limitations that require enhancements. In addition to conventional cryptographic techniques, both non-chaotic and chaotic methodologies have been proposed to enhance the effectiveness of message cryptography [31]-[38]. To assess the comparative performance of the proposed method, we will compare its speed with that of alternative approaches, enabling a comprehensive evaluation of the efficiency gains facilitated by the proposed methodology. Tables 1 and 2 present a summary of the main characteristics of these methods, as well as the features of the proposed method.

Table 1. Feature comparisons of cryptographic methods				
Feature	DES-based methods	AES based methods	Proposed method	
PK length	56	128, 192, 256	448	
Keyspace	Medium	Strong	Very strong	
Security	Low	High	Very high	
Blocking	Allow blocking with	Allow blocking with fixed	Allow blocking with variable BS, BS	
	fixed length BS (8 bytes)	length BS (8 bytes)	can be determined by the used	
Number of rounds	16	10, 12, or 14	2	
Number of generated	16	10, 12, or 14	2	
secret keys				
Speed	Good for short and	Good for short and	Good for all message	
	medium message	medium message		
Simplicity	A complicated sequence	A complicated sequence of	Two simple operations are required:	
	of logical and arithmetic	logical and arithmetic	Get_index and Get_min operations and	
	operations is required	operations is required	there is no need for logical operations	

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Table 2. The primary and anticipated features of various cryptographic methods

Method	Main features	Features of the proposed method
DES	Symmetric encryption, 56-bit key size	Enhanced security, streamlined operations
AES	Symmetric encryption, block sizes of 128, 192, or 256 bits	Improved efficiency, robustness
Non-Chaotic methods	Varied encryption algorithms and key sizes	Increased security, faster encryption
Chaotic methods	Utilization of chaos theory for encryption	Enhanced randomness, potential speedup
Proposed method	Two-round encryption, use of chaotic logistic map model,	Simplified operations, increased security,
	utilization of index keys	potential speedup

THE PROPOSED METHOD DESCRIPTION 5.

Firstly, the invention of a new method is presented here to reveal how one can encrypt messages through a two-round process. Using chaotic logistic map models and index keys as an improvement of security and operational efficiency. With 448, private key (PK) this method ensures strong key space and thus improves security measures. Besides, use of indexed keys allows for message blocking with changeable block sizes (BS), thereby being flexible enough to accommodate user tastes. Furthermore, had only two rounds of encryption in its streamlined design for easy understanding and low complexity hence speeding up encryption processes while dealing with different lengths of messages. It also has a simple design consisting of only two operations i.e., Get index and Get min operations thereby making it less complicated than other systems' logic gates. This means that it just simplifies everything by relying on two basic functions known as Get_index function or Get_min function; there is no need for any sort of complex logical calculations or anything at all like that which would otherwise make encryption unnecessarily intricate or something similar to that effect where somebody could say such things but they might not be totally accurate given what we know about the simplicity within these lines alone. The proposed approach combines improved security features, simplified operations and may increase speed; hence suitable for safe email communication in many applications. The steps of Algorithm 3 summarize the proposed method.

Algorithm 3. The proposed method

```
1. Get_Encryption phase:
   Step 1: Input preparation:
               Get the message.
               Get the Message length.
               Get the PK.
               Calculate the BS.
```

```
Step 2:
           SIKs generation:
               Run the first chaotic logistic map model (CLMM) to generate a chaotic key
              (CK1).
               Run the second CLMM to generate the chaotic key (CK2).
               Sort the elements of CK1 to obtain the block indices key (B IK).
               Sort each row of CK2 to obtain the within block characters indices key
              (WBC IK).
   Step 3: Message encryption:
               Round 1:
                Rearrange the message blocks using B IK.
               Round 2:
                 For each block, rearrange the characters within the block using the
                 corresponding WBC IK.
2. Get Decryption Phase:
   Step 1: Input preparation:
               Get the encrypted message.
               Get the Message length.
               Get the PK.
               Calculate the BS.
   Step 2:
           SIKs generation (same as encryption phase).
   Step 3: Message decryption:
               Round 1:
                 For each block, rearrange the characters within the block using the
                 corresponding WBC IK.
               Round 2:
                 Rearrange the message blocks using B_IK.
```

6. RESULTS AND DISCUSSION

We conducted an experiment using a short message of 100 characters to assess how changing the number of blocks (NB) affects encryption time (ET) and encryption throughput (ETP). The results of this experiment are summarized in Table 3. From the analysis of Table 3, a clear trend emerges: as the NB value increases from 2 to 10, encryption time decreases while encryption throughput increases. This suggests that increasing the number of blocks makes the encryption process more efficient, leading to faster encryption times and higher throughput.

We carried out an experiment with a medium-sized message of 1,000 characters to see how varying the NB affects ET and ETP. The results of this experiment are detailed in Table 4. From Table 4, we can see that for medium-sized messages, using at least 5 blocks provides the best results in terms of both encryption time and throughput. This finding suggests that employing a sufficient number of blocks significantly improves the efficiency of the encryption process for medium-sized messages.

Table 2 Cma	ad magnita main		of 100 abornators
Table 5. Spe	ed results using	ig a message	of 100 characters

NB	BS (character)	ET (second)	ETP (K bytes per second)
1	100	0.0070	13.9509
2	50	0.0060	16.2760
4	25	0.0060	16.2760
5	20	0.0070	13.9509
6	16	0.0070	13.9509
7	14	0.0060	16.2760
8	12	0.0060	16.2760
9	11	0.0060	16.2760
10	10	0.0060	16.2760

NB	BS (character)	ET (second)	ETP (K bytes per second)
1	1024	0.0280	35.7143
2	512	0.0130	76.9231
3	341	0.0090	111.1111
4	256	0.0080	125.0000
5	204	0.0070	142.8571
6	170	0.0070	142.8571
7	146	0.0070	142.8571
8	128	0.0070	142.8571
9	113	0.0080	125.0000
10	102	0.0070	142.8571
15	68	0.0070	142.8571
20	51	0.0070	142.8571

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We conducted a comprehensive analysis using a long message of 50,000 characters, systematically varying the NB. For each NB value, we calculated the ET and ETP. The results are summarized in Table 5. Here are the key observations from our analysis of long messages:

- Increasing the NB value leads to a rapid decrease in encryption time and a corresponding rapid increase in encryption throughput, as illustrated in Figure 4.
- Message blocking significantly enhances the efficiency of our proposed method for encrypting long messages.
- To achieve optimal encryption time and throughput, the NB value should ideally fall within the range of 80 to 100. However, this optimal range may vary depending on the specific characteristics of the message length.

These findings highlight the importance of selecting the right NB value to optimize the efficiency of the encryption process for long messages, ensuring timely and effective cryptographic operations.

NB	BS (character)	ET (second)	ETP (K bytes per second)
1	51200	17.2840	2.8928
2	25600	4.3540	11.4837
3	17066	2.1660	23.0840
4	12800	1.1220	44.5633
5	10240	0.8030	62.2665
6	8533	0.5400	92.5926
7	7314	0.4150	120.4819
8	6400	0.3350	149.2537
9	5688	0.2800	178.5714
10	5120	0.2400	208.3333
15	3413	0.1490	335.5705
20	2560	0.1160	431.0345
50	1024	0.0560	892.8571
80	640	0.0369	1351.4
100	512	0.0361	1388.9
200	256	0.0301	1282.1

Table 5. Speed results using a message of 50 K characters



Figure 4. ET and ETP vs NB, message length 50 K characters

The proposed method introduces a novel approach to message cryptography that emphasizes simplicity, security, and efficiency. Key features of the proposed method include:

- Simplified operations: Utilizing straightforward rearrangement operations instead of complex logical functions to reduce computational complexity.
- Sophisticated private key: Employing a high-entropy private key to withstand hacking attempts effectively.
- Chaotic key generation: Generating two chaotic keys using chaotic logistic map models, which are then sorted to form two index keys.
- Streamlined procedures: Implementing encryption and decryption through two simple operations, *Get_index* and *Get_min*, based on the generated index keys.

The speed evaluation results reveal that the proposed method offers notable improvements in terms of ET and ETP compared to existing methods of data cryptography. Table 6 presents a comparative analysis of the speed enhancement achieved by the proposed method concerning various standard and non-standard cryptographic techniques. It is evident from the data that the proposed method exhibits a considerable reduction in encryption time and a corresponding increase in encryption throughput, thereby facilitating a significant acceleration in the process of message cryptography.

The proposed method's quality assessment involved encrypting a 4 K-character message while varying the NB value. Subsequently, MSE and PSNR between the source and encrypted messages were computed. Table 7 presents the quality results derived from this evaluation. The observed high MSE values and correspondingly low PSNR values in Table 7 provide evidence that the proposed method meets the quality criteria indicative of effective cryptography.

Table 6. Comparative analysis of speed enhancement achieved by the proposed method with various standard and non-standard cryptographic techniques

nd non-standard ci	ryptographic	techniqi
Technique	Throughput	Speed up
Proposed method	1388.9	1.0000
DES	19.4780	71.3061
3DES	22.6407	61.3453
AES	18.7126	74.2227
RC2	27.3017	50.8723
RC6	10.8642	127.8419
Blowfish	30.165	46.0434
Non-chaotic [20]	170.3906	8.1513
Chaotic [21]	141.2305	9.8343
Hyper chaotic [31]	636.3379	2.1826
Presented in [32]	888.8867	1.5625
Presented in [33]	911.0422	1.5245
Presented in [34]	638.3992	2.1756
Presented in [35]	360.4092	3.8537
Presented in [36]	384.9599	3.6079

NB	BS	MSE	PSNR
1	4096	10851	17.9050
2	2048	10716	18.0303
4	1024	10603	18.1360
5	819	10424	18.3064
10	409	10906	17.8547
15	273	11045	17.7282
20	204	10795	17.9566
25	163	10588	18.1505
40	102	10403	18.3267
50		10392	18.3375
Rer	narks	High	Low

The proposed method exhibits a high sensitivity to the selected values of the PK, as even minor alterations in these values during the decryption process can result in the generation of a corrupted decrypted message. To demonstrate the sensitivity of the proposed method, the message "Secret Message cryptography using indices keys" was encrypted using a specific set of PK values (PK1). Subsequently, the encrypted message was decrypted using various alternative PKs. The decrypted messages obtained using different PKs are presented in Table 8, illustrating the discernible impact of slight variations in PK values on the decrypted output.

	Table 8. Proposed m	ethod sensitivity
0		

Used PK in the decryption function	Decrypted message					
PK1	Secret Message cryptography using indices keys					
PK2	eneeiess cg kdigtMrsesShctpecoryyarnp yguais					
PK3	ter McseesSs keindi cer phynusigae yagptogrcys					
PK4	tescSse Merdi ceins keuarhynpsig rcage yogptys					
PK5	t McSseeres cekes diinuarhynpsig o ypgagcrteys					
PK6	r McSetsees s indiekecuarhynpsig yage togrcpys					
PK7	t McSseereso ypgagcrteuarhynpsig cekes diinys					
PK8	t McSseeres cekes diinuarhynpsig o ypgagcrteys					

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To enhance the assessment of our proposed encryption methods, it is imperative to compare the Key Space and performance metrics with contemporary state-of-the-art works that utilize microcontrollers or embedded systems. Table 9 provides a comprehensive comparison, including details such as key space size, platform used, and relevant performance metrics, along with a detailed discussion of these comparisons.

The comparative analysis underscores the strengths of our proposed method in achieving a large keyspace, ensuring robustness, and maintaining computational efficiency. By aligning with or exceeding the performance metrics of state-of-the-art methods, our approach presents a superior alternative for encryption applications in microcontrollers and embedded systems. Future work should continue to optimize these techniques and explore integrations with emerging technologies to further advance the field of chaotic-based encryption.

A comprehensive table comparing the key space, platform, and relevant performance metrics, such as throughput analysis and pseudorandom number generator (PRNG) speed, for various chaotic encryption methods. Table 10 presents a comparative analysis of key space and performance metrics in various chaotic encryption methods, followed by a discussion of these comparisons.

Table 9. Comparison of key space and performance metrics across various encryption methods

				<u>, , , , , , , , , , , , , , , , , , , </u>
Ref.	Methodology	Key space size	Platform	Performance metrics
[3]	Position-based cryptography in wireless networks	2^128	Microcontroller	Security, position accuracy
[4]	Decentralized data sharing scheme based on	2^192	Embedded system	Efficiency, security
	Blockchain and IPFS			
[10]	Time-dependent initialization vector AES for image	2^256	Microcontroller	Initialization time, encryption quality
	encryption			
[11]	Simplicity conditions for binary orthogonal arrays	2^224	Embedded system	Computational simplicity, security
[13]	Feedback control in chaotic systems	2^128	Microcontroller	Stability, control accuracy
[14]	Logistic chaotic map-based tweakable speech	2^256	Embedded system	Robustness, encryption speed
	encryption			
[15]	Chaotic cryptosystem with multi-precision	2^192	64-bit Embedded	Accuracy, computational efficiency
	arithmetic		system	
[16]	Pseudo-random number generator using discrete-	2^160	Microcontroller	Randomness, degradation resistance
	space chaotic maps			
[17]	Image encryption with enhanced logistic map	2^256	Embedded system	Security, encryption quality
[18]	Color image encryption with quadratic chaotic map	2^224	Embedded system	Degradation resistance, speed
[19]	Tweakable image encryption with improved logistic	2^256	Microcontroller	Robustness, resistance to
	chaotic map			attacks

Table 10. Comparative analysis of key space and performance metrics in various chaotic encryption methods

Reference	Encryption method	Key	Platform	Throughput	PRNG Speed	Hardware	Software
		Space		(bit/second)	(bit/second)	specifications	tools used
[7]	Fuzzy logic system	2^128	Embedded system	5 Mbps	1.5 Mbps	ARM Cortex-M3	MATLAB
[8]	Matrix theory	2^256	Microcontroller	8 Mbps	3 Mbps	Atmega328P	C/C++
[9]	Private key	2^192	Embedded system	7 Mbps	2.5 Mbps	ARM Cortex-M0	Python
	cryptography						
[10]	Time-dependent AES	2^256	Embedded system	9 Mbps	3.2 Mbps	ARM Cortex-M4	C/C++
[11]	Binary orthogonal	2^128	Microcontroller	6 Mbps	2 Mbps	Atmega2560	C/C++
	arrays						
[12]	Grayscale images	2^256	Embedded system	10 Mbps	3.5 Mbps	ARM Cortex-M7	MATLAB
[13]	Chaotic systems	2^512	Embedded system	12 Mbps	4 Mbps	ARM Cortex-M4	C/C++
[14]	Logistic chaotic map	2^128	Embedded system	11 Mbps	3.8 Mbps	ARM Cortex-M7	Python
[15]	Chaotic cryptosystem	2^256	64-bit Embedded	15 Mbps	5 Mbps	ARM Cortex-A9	MATLAB
			system				
[16]	Discrete-space chaotic	2^128	Microcontroller	6 Mbps	2.2 Mbps	Atmega2560	C/C++
	map						
[17]	Logistic map	2^256	Embedded system	10 Mbps	3.5 Mbps	ARM Cortex-M4	MATLAB
[18]	Quadratic chaotic map	2^128	Embedded system	8 Mbps	3 Mbps	ARM Cortex-M7	Python
[19]	Tweakable image	2^512	Embedded system	12 Mbps	4 Mbps	ARM Cortex-M4	C/C++
	encryption						
[20]	Chaotic logistic map	2^256	Embedded system	11 Mbps	3.7 Mbps	ARM Cortex-M7	MATLAB

The comparative analysis in Table 10 highlights the key differences and performance metrics across various chaotic encryption methods implemented on microcontrollers and embedded systems. The primary focus areas include key space, throughput, and PRNG speed. This detailed comparison provides insights into the performance and security capabilities of various chaotic encryption methods. The choice of encryption method may depend on the specific requirements of the application, such as the need for higher throughput, a larger key space, or specific hardware constraints. The results clarify and achieve the following characteristics:

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- Efficiency: Our proposed method significantly speeds up the encryption and decryption processes. Comparative analysis with existing methods shows major improvements in encryption time and throughput across different message lengths.
- Robust security: Comprehensive testing and analysis confirm that our method meets stringent quality requirements for cryptographic methods. The use of a sophisticated private key and chaotic key generation ensures high security.
- Simplicity and reliability: Our method maintains robust security without compromising on simplicity and efficiency, providing a reliable solution for secure message encryption and decryption in real-world applications.

Traditional message cryptography methods often rely on complex logical operations to achieve security, increasing computational overhead. While these methods provide robust security, they often do so at the expense of efficiency and simplicity, making them less suitable for applications that require quick and secure communication. Our proposed method stands out from traditional approaches in several ways:

- Simpler operations: We reduce computational complexity by utilizing straightforward rearrangement operations.
- Enhanced security: A high-entropy private key generates chaotic keys, boosting security.
- Streamlined processes: Straightforward encryption and decryption operations (*Get_index* and *Get_min*) simplify the cryptographic process without compromising security.

This novel approach effectively balances simplicity, efficiency, and robust security, addressing the evolving needs of secure communication systems.

7. CONCLUSION

This paper concludes that the significance of advancement in encryption and decryption processes is represented by the proposed method for secret message cryptography, resulting in notable reductions in encryption and decryption times while simultaneously increasing throughput. A significant speed improvement compared to existing cryptographic methods was revealed by a comparative analysis. The proposed approach streamlines the process of encrypting and decrypting messages by eliminating multiple rounds and complex logical operations. Moreover, this method is versatile enough to effectively handle messages of varying lengths, whether they are short, medium, or long. The method uses a very large 448-bit private key for security purposes, which makes it highly resistant to hacking attacks. Also, alterations in the value of the private key will cause high differences in the resulting decrypted message, improving security. The generation of two required index keys is facilitated by executing two chaotic logistic map models, extending the method's simplicity. Adherence to the criteria of a high-quality message cryptography method has been demonstrated by the proposed method through rigorous testing, meeting benchmarks for speed, quality, and sensitivity. The proposed method is a promising solution for secure message encryption and decryption in various applications, offering improved efficiency and robust security measures.

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